

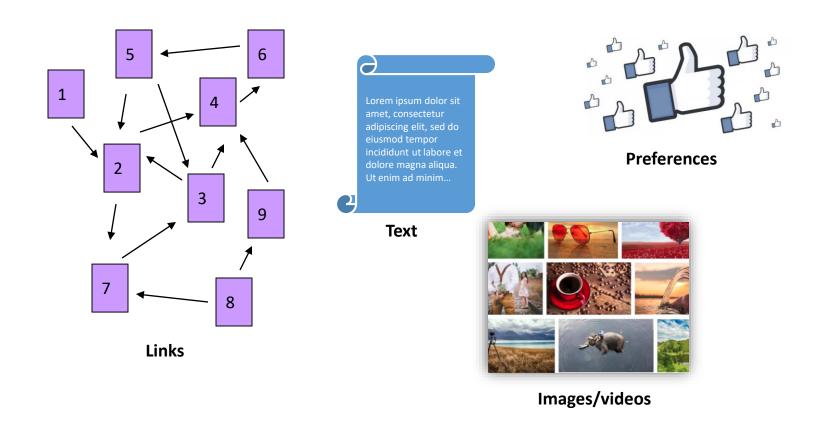
The Web corpus

- No design/coordination
- Distributed content creation, linking, democratization of publishing
- Content includes truth, lies, obsolete information, contradictions ...



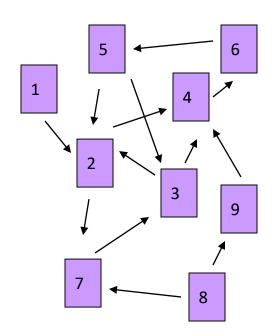
- Unstructured (text, html, ...), semi-structured (XML, annotated photos), structured (Databases)...
- Scale much larger than previous text corpora... but corporate records are catching up.
- Content can be dynamically generated

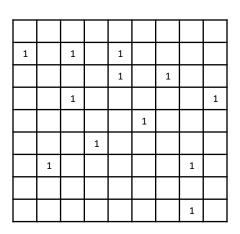
Web data



The Web graph

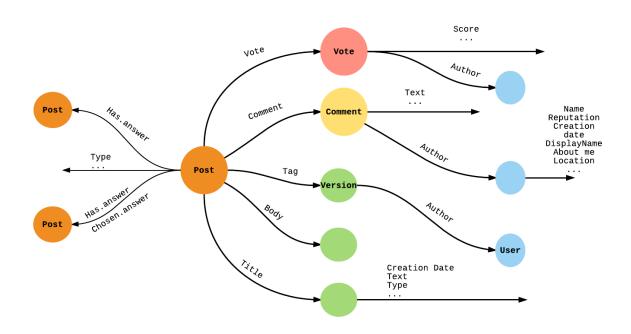
- Generally, the links can be explicit or computed by some function.
- The links can also be weighted by the similarity between pages (i.e. graph nodes in this case)
- Graphs are generally represented as a sparse matrix.
- There are many applications: page importance, recommendation, reputation analysis.





Graphs on the Web

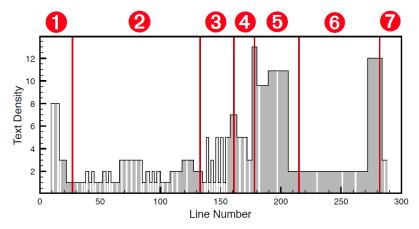
- There are many types of graphs, besides hyperlinks.
- Graphs can capture the named entities that are mentioned and talked about on the Web.



Web pages

- Web pages are divided into different parts (title, abstract, body, etc)
- Each part has a specific relevance to the main content
- A Web page can be divided by its HTML structure (e.g., <div> tags) or by its visual aspect.





Web page segmentation methods

Segmenting visually

 Cai, D., Yu, S., Wen, J. R., & Ma, W. Y. (2003). VIPS: A vision-based page segmentation algorithm.

Linguistic approach

• Kohlschütter, C., Fankhauser, P., and Nejdl, W. (2010). Boilerplate detection using shallow text features. ACM Web Search and Data Mining.

Densitometric approach

 Kohlschütter, C., and Nejdl, W., (2008). A densitometric approach to web page segmentation. ACM Conference on Information and Knowledge Management (CIKM '08).

Text data

- Instead of aiming at fully understanding a text document, IR takes a pragmatic approach and looks at the most elementary textual patterns
 - e.g. a simple histogram of words, also known as "bag-of-words".
- Heuristics capture specific text patterns to improve search effectiveness
 - Enhances the simplicity of word histograms
- The most simple heuristics are stop-words removal and stemming

Character processing and stop-words

- Term delimitation
- Punctuation removal
- Numbers/dates
- Stop-words: remove words that are present in all documents
 - a, and, are, as, at, be, but, by, for, if, in, into, is, it, no, not, of, on, or, such, that, the, their, then, there, these, they, this, to, was, will...

Stemming and lemmatization

- Stemming: Reduce terms to their "roots" before indexing
 - "Stemming" suggest crude affix chopping
 - e.g., automate(s), automatic, automation all reduced to automat.
 - http://tartarus.org/~martin/PorterStemmer/
 - http://snowball.tartarus.org/demo.php
- Lemmatization: Reduce inflectional/variant forms to base form, e.g.,
 - am, are, is \rightarrow be
 - car, cars, car's, cars' \rightarrow car

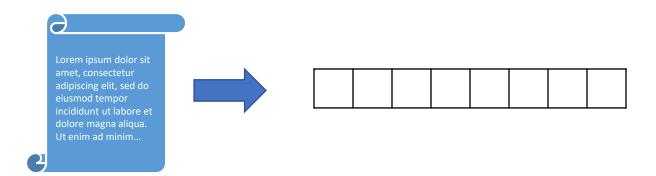
N-grams

- An n-gram is a sequence of items, e.g. characters, syllables or words.
- Can be applied to text spelling correction
 - "interactive meida" >>>> "interactive media"
- Can also be used as indexing tokens to improve Web page search
 - You can order the Google n-grams (6DVDs):
 - http://googleresearch.blogspot.com/2006/08/all-our-n-gram-are-belong-to-you.html
- N-grams were under some criticism in NLP because they can add noise to information extraction tasks
 - ...but are widely successful in IR to infer document topics.

"Bag of Words" representation

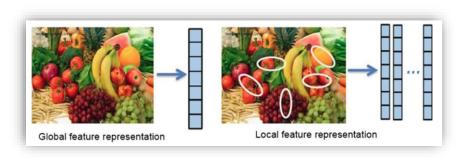
- After the text analysis steps, a document (e.g. Web page) is represented as a vector of terms and n-grams.
 - More complex low-level representations can be used

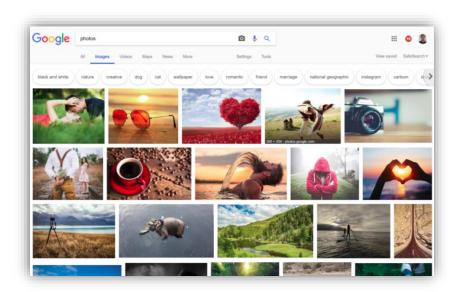
$$d = (w_1, ..., w_L, ng_1, ..., ng_M)$$



Visual data

- Visual information also needs to be processed and analysed.
- A compact representation of the image/video content is computed from it.
- This compact representation is then used to accomplish several tasks, e.g. search, categorization.



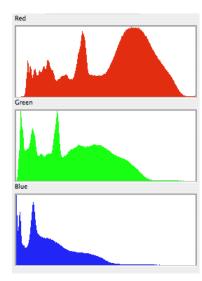


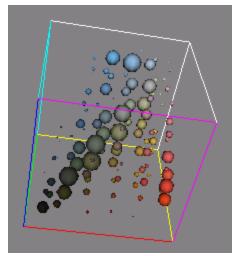
Histograms of colors

- Marginal color histograms consider color channels independently
 - The number of bins define the dimensionality of the space

- 3D colour histograms divide the space into small 3D boxes
 - The numbers of bins per dimension define the number of 3d bins







Color moments

- Color moments measure the statistical properties of the histogram:
 - Mean and variance (1st and 2nd moments)

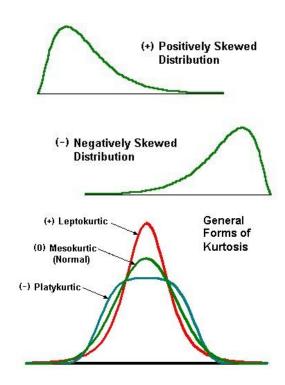
$$m_r = \sum \frac{(X_i - \overline{X})^r}{n}$$

Skewness (3rd moment)

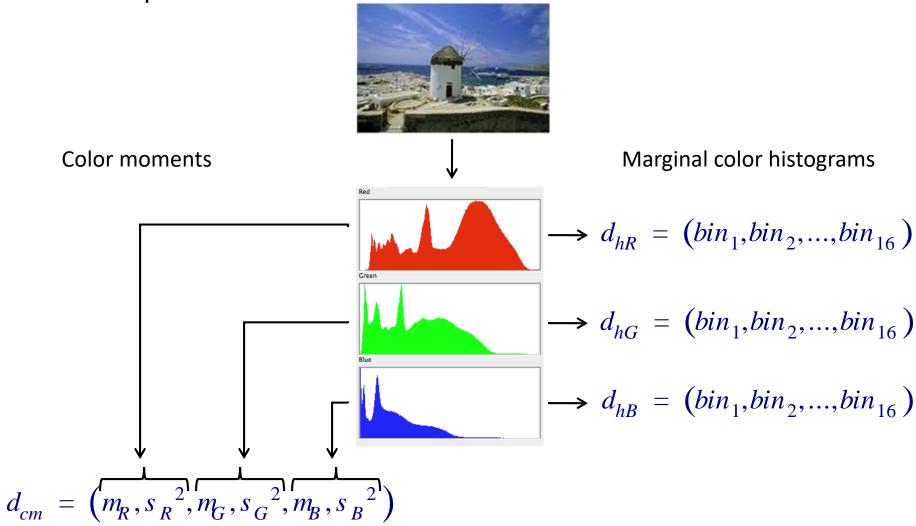
Skewness =
$$\left[\frac{\sqrt{n(n-1)}}{n-2}\right] \times \frac{m_3}{m_2^{3/2}}$$

Kurtosis (4th moment)

$$\textit{Kurtosis} = \left[\frac{(n-1)(n+1)}{(n-2)(n-3)} \right] \times \frac{m_4}{(m_2)^2} - 3 \left[\frac{(n-1)^2}{(n-2)(n-3)} \right]$$



Example



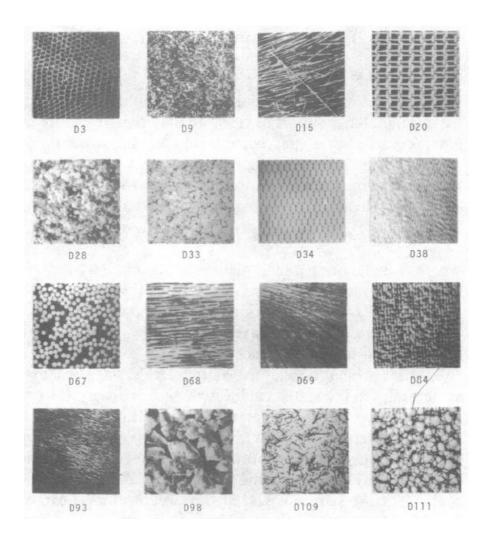
Textures

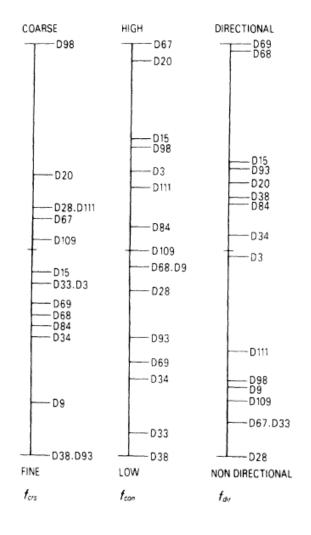


Psychological based textures (Tamura)

- Coarseness measures the size of the primitive elements forming the texture
- Contrast measures variation in gray levels between black and white
- Directionality measures the orientation of the texture
- Line-likeliness measures the similarity of the texture to lines
- Regularity measures the repetetiveness of the texture pattern
- Roughness "we do not have any good ideas for describing the tactile sense of roughness"

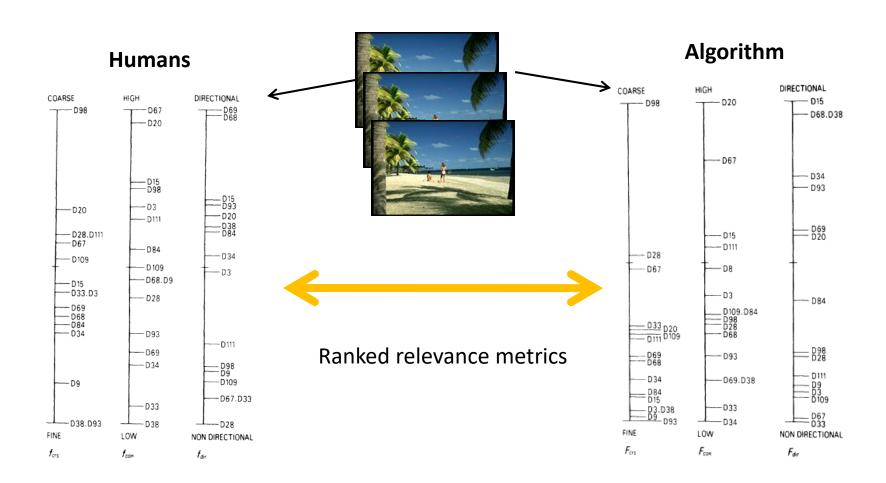
Psychological based textures (Tamura)





Tamura, H., Mori, S., Yamawaki, T., "Textural features corresponding to visual perception," IEEE Trans on Systems, Man and Cybernetics 8 (1978) 460–472

Comparing psychological relevance to algorithms



Frequency based textures

- Frequency based texture decompose images according to their frequencies
 - Similar to audio filtering or color filter lenses
- The number of repetitions per area in a texture is related to the frequency of a texture
- Based on the Fourier Transform
- A set of 2 dimensional filters will decompose images into their natural frequencies

Edge detection





Edge detection

Filter image with a low pass filter

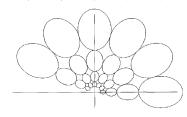
• Apply vertical and horizontal filters to compute Gx and Gy:

+1	+2	+1
0	0	0
-1	-2	-1

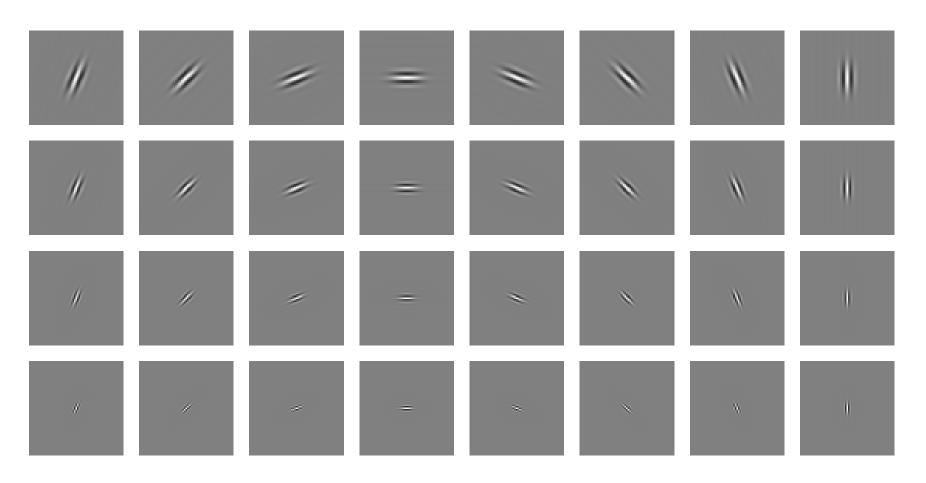
-1	0	+1
-2	0	+2
-1	0	+1

$$\mathbf{G} = \sqrt{{\mathbf{G}_x}^2 + {\mathbf{G}_y}^2}$$

- Compute the gradients as
 - Reduce it to one of the 4 possible directions (0°, 45°, 90°, 135°)
- Compute the orientation of the edges as: $\Theta = \arctan\left(\frac{\mathbf{G}_y}{\mathbf{G}_x}\right)$

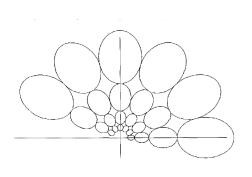


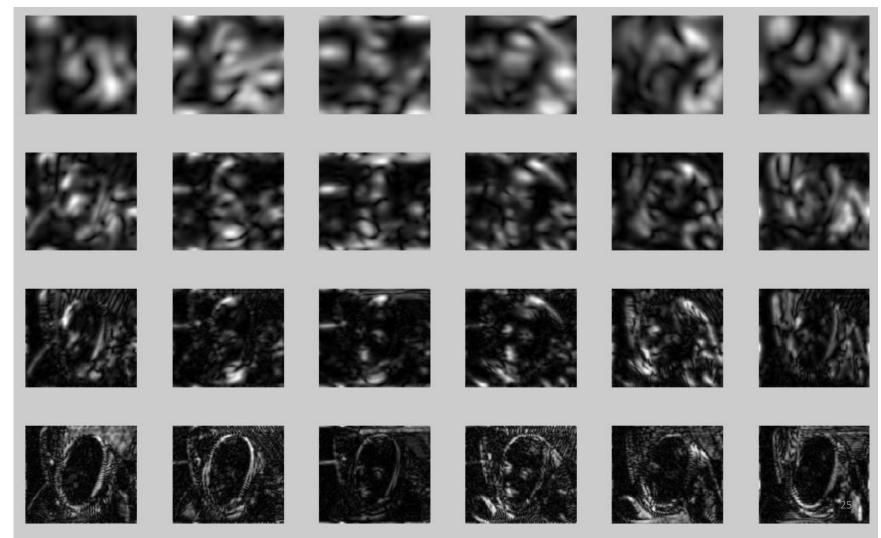
Gabor filters







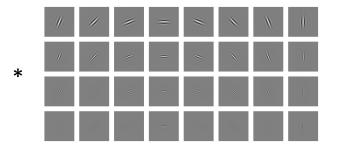


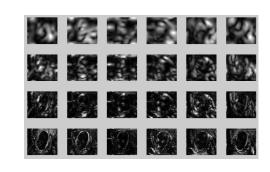


Gabor texture feature

Images are convolved (operator *) with each filter individually:







A widely used descriptor corresponds to the mean and variance of the output of each filter:

$$d_{texture} = (m_1, v_1, \dots, m_k, v_k)$$



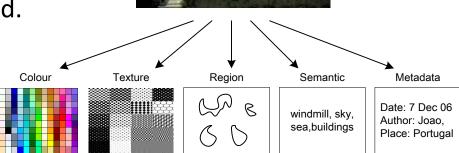
Multiple representations of the same data

Documents are represented as the set of vectors

$$d = (d_{links}, d_{text}, d_{color}, d_{texture}, d_{metadata}, d_{tags}, \dots)$$

each one for a different search space: text data, visual data, and keyword data respectively.

Other search spaces can be used.





Data representations

• Link data

$$d_{links} = (0,0,...,0,1,0,...,0,1,0,...,0)$$

- High-dimensional data
 - Sparse
 - Bag of words
 - Dense
 - Color histograms and moments
 - Textures and edges

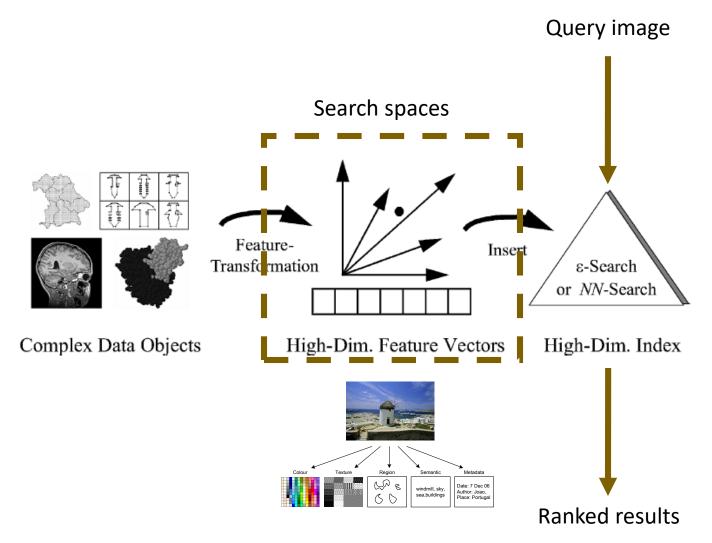
$$d_{bow} = (w_1, \dots, w_L, ng_1, \dots, ng_M)$$

$$d_{color} = (bin_1, bin_2, \dots, bin_k)$$

$$d_{texture} = (m_1, v_1, \dots, m_k, v_k)$$



Search high-dimensional spaces





Definition: metric spaces

• Let $\mathfrak D$ be an n dimensional space, where each data point is defined as

$$d \in \mathfrak{D}$$
: $d = (d_1, \dots, d_n)$, $d_i \in \mathbb{R}$

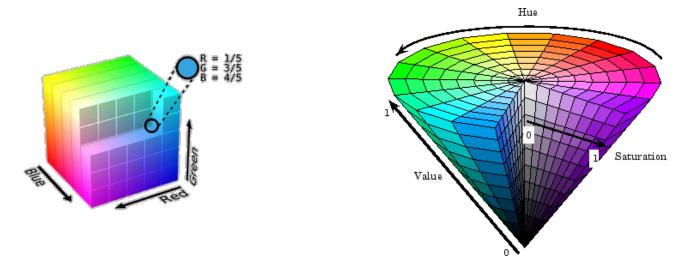
- The n dimensional space $\mathfrak D$ is a metric space iff exists a distance function dist(a,b) in $\mathfrak D$.
- A distance function has the following properties:
 - Non-negative: $dist(a,b) \quad \forall a,b \in \mathfrak{D}$
 - Indentity: if dist(a, b) = 0 then a = b
 - Symmetry: $dist(a, b) = dist(b, a) \quad \forall a, b \in \mathfrak{D}$
 - Triangle inequality $dist(a,b) \leq dist(a,c) + dist(c,b) \ \forall a,b,c \in \mathfrak{D}$



Distance vs similarity

- Distances in a given search space must be meaningful.
- Distances are used as proxies for similarity.
 - distance = 1-similarity
- Vector spaces and probability spaces are common spaces in Web search.
- The goal is that the similarity/distance between a query and candidate documents will reflect the relevance of the document to the user query.

Example: Distance in the RGB vs HSV color spaces



- Euclidean distance in the HSV color space is more meaningful!
 - Hue (H), the color type (such as red, green). It ranges from 0 to 360 degree.
 - Saturation (S) of the color ranges from 0 to 100%. Also sometimes it called the "purity".
 - Value (V), the Brightness (B) of the color ranges from 0 to 100%.

Minkowski distance

 The Minkowsky distance function generalizes many well known distance functions:

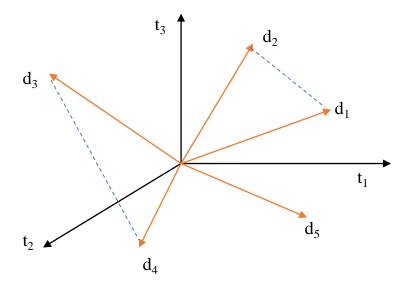
$$dist_p(a,b) = \sqrt[1/p]{\sum_{i=1}^n |a_i - b_i|^p}$$

• Minkowski distances distorts the space as shown in the figure

Euclidean distance

• The euclidean distance function is very effective many color spaces for comparing specific colors for example.

$$dist_2(a,b) = \sqrt{\sum_{i=1}^{n} (a_i - b_i)^2}$$

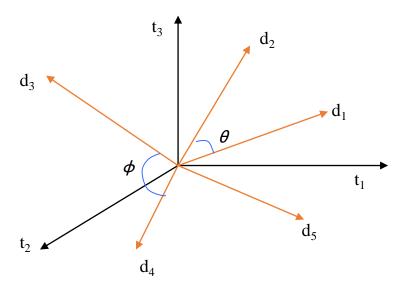


 When comparing compact descriptors of data other distances are more effective.



Cosine similarity

- Distance between vectors d_1 and d_2 captured by the cosine of the angle x between them.
 - Vectors pointing in the same direction
- Note this is similarity, not distance
 - No triangle inequality for similarity.



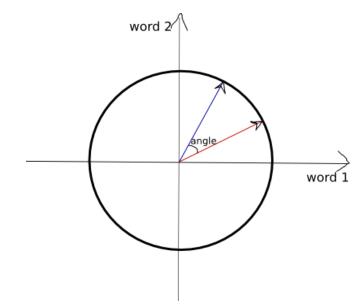


Cosine similarity

- Cosine of angle between two vectors
- The denominator involves the lengths of the vectors.

$$sim(q, d_i) = cos(q, d_i) = \frac{q \cdot d_i}{\|q\| \|d_i\|}$$

$$sim(q, d_i) = cos(q, d_i) = \frac{\sum_t q_t \cdot d_{i,t}}{\sqrt{\sum_t q_t^2} \sqrt{\sum_t d_{i,t}^2}}$$





Hamming distance

- The Hamming distance between two vectors indicate the number of positions that are different.
- If *a* and *b* is a sequence of *n* bits, then the Hamming distance is defined as:

$$dist_{ham}(a,b) = \sum_{i=1}^{n} a_i \oplus b_i$$

$$a = \begin{bmatrix} 0 & 0 & 1 & 1 & 1 & 0 & 0 & 1 \\ b = \begin{bmatrix} 1 & 0 & 1 & 1 & 1 & 1 & 0 & 1 \end{bmatrix}$$

$$a \oplus b =$$
 $\begin{bmatrix} 1 & 0 & 0 & 0 & 1 & 0 & 0 \end{bmatrix}$

$$dist_{ham}(a,b) = 2$$



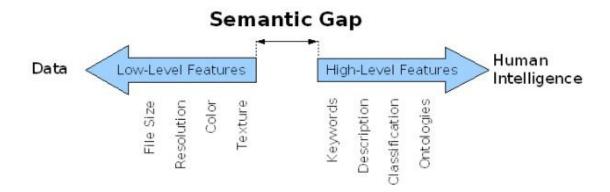
Hamming distance

- Initially developed in the field of information theory to measure bit transmission coding errors.
- The Hamming distance is useful for comparing binary codes.
 - e.g. binary hashcodes
- It can also be seen as an edit distance between two strings of the same length.
 - Levenshtein distance also measures the number insertions and deletions (not just replacement)

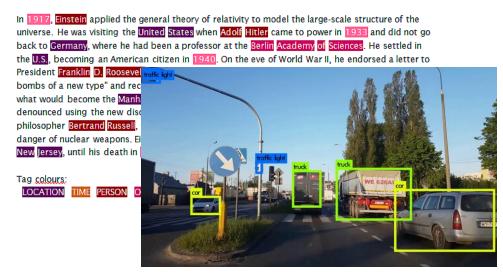
Searching Web content

- Processing real-world information is challenging!!!
- The aim is to search any unstructured data by its content
 - Textual, visual, audio, semantic, etc.
- Data contains very complex information patterns.
- Information needs can be very complex.
 - Queries can be keywords, examples or questions.
 - Finding related trends (consumption patterns)
 - Search images with text and vice-versa

The semantic gap

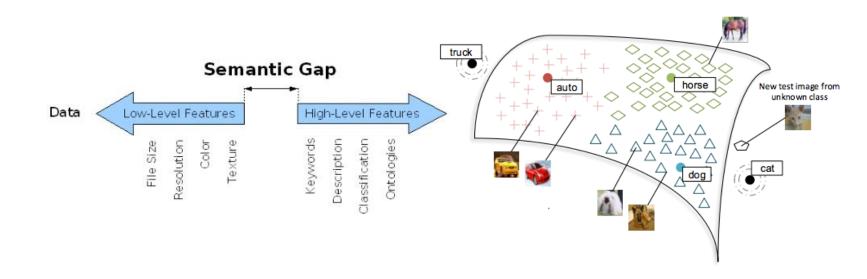


Named entities

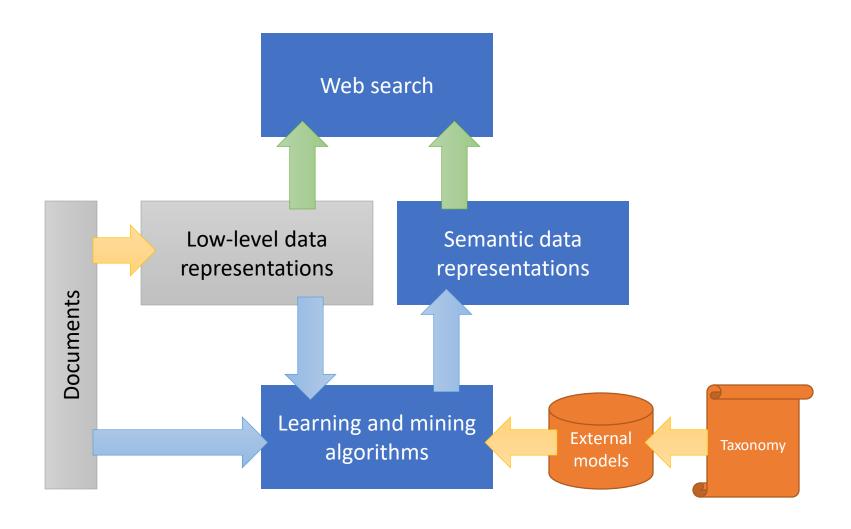


Known visual objects/categories

Semantic search spaces



Web Search course scope



Semantic data representations

- External models of relevant
- Fully parses the document data looking for the occurrence of relevant classes.
- Examples: named entities (e.g., "Microsoft", "Donald Trump") and and visual objects, (e.g., face, Eiffel tower)

Summary and readings

- Web data representation:
 - Graph data
 - Textual data
 - Visual data
- Metric spaces and distance functions
- References:
 - <u>Chapter 2</u>: C. D. Manning, P. Raghavan and H. Schütze, "Introduction to Information Retrieval", Cambridge University Press, 2008.
 - Hassaballah, M., Abdelmgeid, A. A., & Alshazly, H. A. (2016). <u>Image features</u> <u>detection, description and matching</u>. In *Image Feature Detectors and Descriptors* (pp. 11-45). Springer, Cham.

Gabor filters

$$g(x,y) = \frac{1}{2\pi\sigma_x^2\sigma_y^2} \cdot \cos(2\pi Wx) \cdot e^{-\frac{x^2-y^2}{2\sigma_x^2\sigma_y^2}}$$

$$g_{m\theta}(x,y) = a^{-m}g(x',y')$$

$$x' = a^{-m} \left(x \cos \theta + y \sin \theta \right)$$

$$y' = a^{-m} \left(-x \sin \theta + y \cos \theta \right)$$

